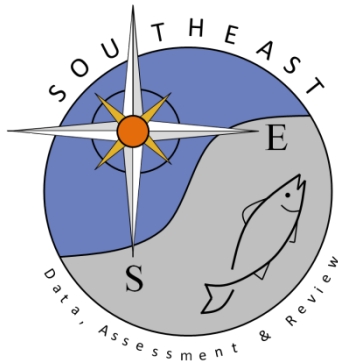


Catch curves for blueline tilefish from the commercial handline and longline fleets

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SEDAR32-RW-02

Submitted: 12 August 2013



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Please cite this document as:

Sustainable Fisheries Branch, National Marine Fisheries Service, Southeast Fisheries Science Center – Beaufort Lab. 2013. Catch curves for blueline tilefish from the commercial handline and longline fleets. SEDAR32-RW02. SEDAR, North Charleston, SC. 10 pp.

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Catch curves for blueline tilefish from the commercial handline and longline fleets

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July 2013

Introduction

The plot of catch (or abundance or proportion) at age is termed a catch curve. Analysis of catch curves provides a simple means of estimating total mortality rate (Z). Rarely is catch curve analysis alone used for management measures, as its simplifying assumptions are quite strong and rarely if ever met, but instead it serves as a method to understand results from more detailed models. Because catch curves rely on age data, they can reveal issues surrounding the observed age samples. The application of catch curve analysis in this report is primarily for diagnostic purposes.

The two most popular methods for estimating Z from catch curves are regression-based estimators (Quinn and Deriso, 1999) and the Chapman–Robson estimator (Chapman and Robson, 1960; Robson and Chapman, 1961). Perhaps the strongest assumption behind these methods is that the population is in steady state, i.e., that the age structure is stable through time as a consequence of constant recruitment and constant mortality. Both methods also assume that ageing error is negligible and that fish older than some known age are equally vulnerable to sampling. Performance of the two methods will vary across data sets, but the Chapman–Robson estimator has been found in some cases to be more robust to violations of assumptions (Murphy, 1997; Dunn et al., 2002).

Methods***Regression estimator***

Regression estimators use linear regression to fit the log-transformed numbers or proportions-at-age, under the common assumption of exponential population decay. Thus, the estimated slope from this regression gives an estimate of Z . The regression can be performed by either tracking a cohort through time or to a single year of data (i.e., a synthetic cohort). In this report, regression estimators rely on synthetic cohorts, constructed from proportions of catch at age (although results are identical if based on absolute numbers rather than proportions).

One issue that arises with limited sampling data is the presence of zeros. Because the regression analysis involves log-transformed data, zeros must either be removed prior to fitting the linear model or treated with a small, additive constant. Both approaches were examined in this study. In cases where a constant was added to zero data, the constant was assumed to be $\delta = 0.001$.

Chapman–Robson estimator

The Chapman–Robson estimator is based on mean age (\bar{a}) above the recruitment age and the sample size (n),

$$Z = \log([1 + \bar{a} - 1/n]/\bar{a})$$

This estimator is considered a minimum variance unbiased estimator (Chapman and Robson, 1960), with variance approximated by,

$$\text{var}(Z) \approx \frac{(1-e^{-Z})^2}{ne^{-Z}}$$

Additional details

Both estimators were applied to landings at age data from the commercial fleets (handline and longline). The recreational fleet was not included because data were limited, both in terms of sample size and number of ages represented. Synthetic cohorts were included if they met a minimum sample size criterion of 30 fish. Sample sizes are reported in Table 1.

Both estimators require specifying the age at which all fish are vulnerable to capture. Although this age is typically unknown *a priori*, examination of the data can indicate an appropriate starting age for the analyses, typically the modal age or the modal age plus one. After visual inspection of age compositions, age five was chosen as the starting age, and age 10 as the terminal age. As these analyses rely only on landings data, vulnerable but discarded fish were not included here. Thus for each data set, four different analyses were applied using synthetic cohorts: regression estimator with zeros replaced by $\delta = 0.001$, Chapman–Robson estimator with zeros replaced by $\delta = 0.001$, regression estimator on original data (observed zeros removed to avoid undefined logarithms), and Chapman–Robson estimator on original data (zeros unaltered). Analyses were performed using the R statistical software package (R Development Core Team, 2010).

Results and discussion

Point estimates of total mortality rates suggest that Z generally ranges between 0.35 and 0.97, but with wide confidence intervals and with some point estimates well above or below that range (Figure 1, Figure 2 and Figure 3). Assuming a constant natural mortality of $M \approx 0.1$, which corresponds to the point estimate recommended by the Data Workshop’s Life History Working Group, fully selected fishing mortality rates could be expected on the range of [0.25, 0.87]. As this approximation is only a rough guideline, annual values outside that range should not be surprising.

Literature cited

- Chapman, DG and DS Robson. 1960. The analysis of a catch curve. *Biometrics* 16:354–368.
- Dunn, A, RICC Francis, and IJ Doonan. 1992. Comparison of the Chapman–Robson and regression estimators of Z from catch-curve data when non-sampling stochastic error is present. *Fish. Res.* 59:149–159.
- Murphy, MD. 1997. Bias in Chapman–Robson and least-squares estimators of mortality rates for steady-state populations. *Fish. Bull.* 95:863–868.
- Quinn, TJ II and RB Deriso. 1999. *Quantitative Fish Dynamics*. Oxford University Press.
- R Development Core Team. 2010. *R: A Language and Environment for Statistical Computing*. R Foundation for Statistical Computing, Vienna, Austria. Available: <http://www.R-project.org>.
- Robson, DS and DG Chapman. 1961. Catch curves and mortality rates. *Trans. Am. Fish. Soc.* 90:181–189.

Table 1. Sample sizes of age composition data.

year	Handline		Longline	
	N(fish)	N (trips)	N(fish)	N (trips)
2003	1	1	5	1
2004			2	1
2005	30	11	21	2
2006	16	8	30	8
2007	87	30	24	5
2008	107	48	35	5
2009	122	53	516	48
2010	180	68	771	53
2011	105	32	571	38

Figure 1. Blueline tilefish: Total mortality estimates (Z) from catch curve data from the commercial handline and longline fleets. Analyses were conducted by year (i.e. using synthetic cohorts). Vertical lines represent 95% confidence intervals.

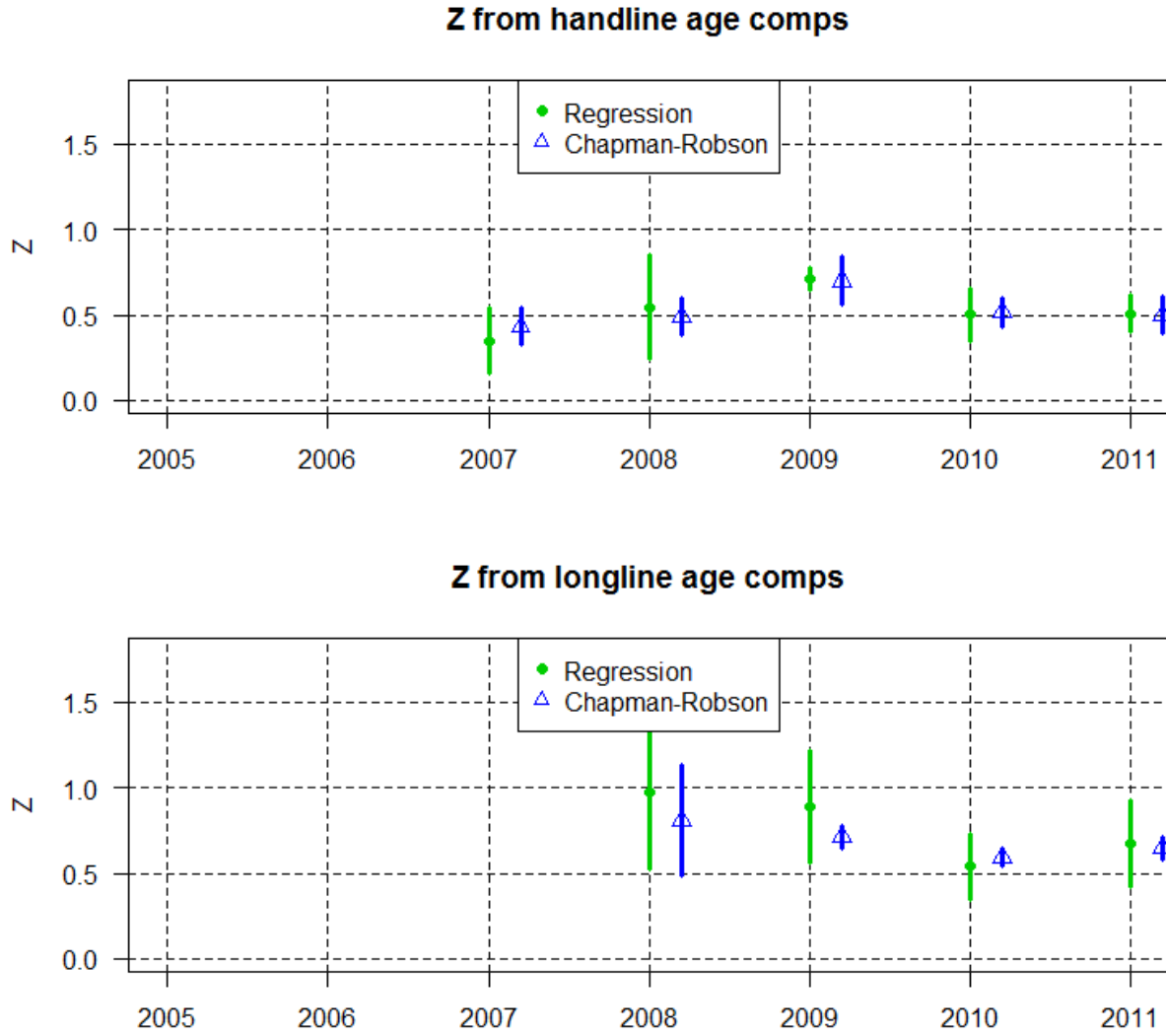


Figure 2. Blueline tilefish: Annual total mortality estimates (Z) from catch curve data from the commercial handline fleet.

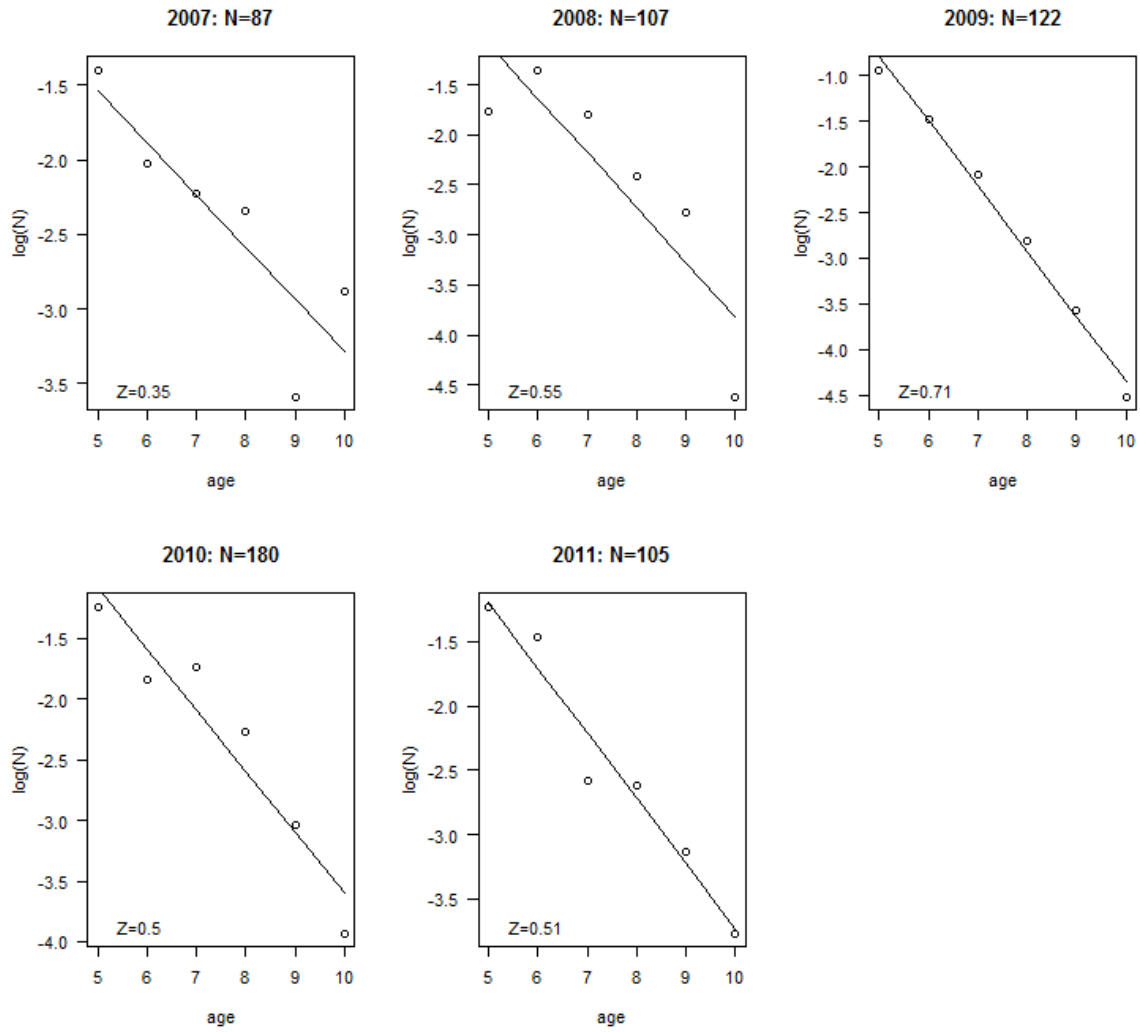


Figure 3. Blueline tilefish: Annual total mortality estimates (Z) from catch curve data from the commercial longline fleet.

